

NAME: _____

OPEN CLUSTER PRELAB

1. Read over the material in the lab script that discusses the background of color-magnitude (CM) diagrams (these can also be called H-R diagrams). Explain the CM diagram: What are the two quantities you plot? What do these quantities tell you about the age of the star?

2. Using other laws of astronomy (see the lab script), what additional properties of the star can be determined? Complete sentences.

3. Review the distance modulus equation: $(m - M) = 5 \log_{10} \left(\frac{d}{10 \text{ pc}} \right)$. Solve for “d”

remembering that $\log \frac{x}{y} = \log x - \log y$.

OPEN CLUSTERS LAB**What will you learn in this Lab?**

An open cluster is a group of stars that were born at the same time and can be studied to determine both the distance and age of the member stars purely based on the stellar brightness at different temperatures. You will use provided data for a number of clusters to determine their distances and ages, and assess the accuracy of the method.

What do I need to bring to the Class with me to do this Lab?

For this lab you will need:

- A copy of this lab script
- A pencil
- A scientific calculator

Introduction:

Stars form in general not as individual objects but rather in clusters. This is a natural consequence of the collapse of an interstellar *molecular cloud*, which at one point in its evolution must fragment for collapse to continue. As such an ensemble of stars is formed, not all with equal masses, the distribution of sizes (masses) follows a remarkable universal “quality control” curve called the *Initial Mass Function (IMF)*.

From an observational standpoint, there are two main types of stellar clusters: open and globular. The two have very different life histories, with the former being a relatively young object, and the latter generally being very old and dating back to the formation of the galaxy in which they reside. We will focus on open clusters in this lab, but many of the assumptions and techniques applied here also hold for globulars. The best example of an open cluster in the northern sky is the Pleiades, an easily observed object in the constellation Taurus.

The rate at which hydrogen gas is fused into helium at the core of any given star is a strong function of the gas pressure and temperature in that core. In turn, these properties are driven by the weight of material pressing down on the core, i.e. the mass of the star. Thus the more massive the star, the faster the star burns its core hydrogen into helium. In fact so sensitive is the reaction rate that it more than makes up for the difference in masses seen in a cluster of stars. The end result of this is that the large, massive stars in a cluster “live fast, die young” as they burn up all their core fuel in a matter of only several million years, compared to 10^{10} years for a star more like the Sun in mass.

The ability to analyze open clusters hinges on our knowledge of the Hertzsprung-Russell Diagram, an incredibly useful tool for observational astronomy. In case you haven't yet been exposed to this tool, the following will serve as a useful introduction to the topic at hand. If you wish to read a more in depth discussion of these diagrams, refer to your *Color-Magnitude Diagrams* lab.

In the first half of the 20th century, two astronomers, E. Hertzsprung and H.N. Russell, independently came up with a remarkable way of looking at the observed properties of stars. The observable properties of stars are quite simple: their brightness (absolute magnitude) and their stellar temperature (or color). These quantities can be converted into more useful properties by using some additional laws of astronomy.

From **Wien's law** we know that the *color* of a star is related to the *surface temperature* of that star -- a bluer star is hotter, a redder star is cooler. Color can be mathematically expressed as the difference between a star's magnitude (energy output) in two different colors, such as blue and yellow. This color quantity is called *B-V* (where *B* and *V* stand for "blue" and "visual," the latter is basically yellow).

The second piece in this puzzle is the application of **Stefan's law**. A star's luminosity is the total energy radiated per second from the entire surface of the star. So, it is possible to express a star's luminosity as:

$$L = 4\pi R^2 \sigma T^4,$$

where σ is Stefan's constant. That is, if you know the *surface temperature* of a star then you can predict how much *energy* is being emitted by each square meter of that star's surface.

The final piece we use to calibrate the whole H-R diagram is the application of the *inverse-square law* for nearby stars. If a star is close enough to us we see it move relative to distant stars as we orbit the Sun through *parallax*. If we know the distance to the star, and we can measure how bright the star *appears* to be, then we can infer how the bright the star is if you're standing *next* to it, using the inverse-square law. So, for the closest star you can independently determine the star's distance, brightness, temperature and size. This is what ends up on an H-R diagram.

An example of an H-R diagram is shown in Figure 1. Each area of the diagram where stars tend to congregate has a special meaning in the evolution of stars. The period of a star's life where it simply burns hydrogen in its core is called the *Main Sequence*, and corresponds to a very specific track on the H-R Diagram. When the hydrogen in the core is exhausted, the star moves away from the Main Sequence – it "turns off" the sequence. Because the Main Sequence also maps mass (the upper left end being more massive than the lower right), the stars on the upper left are going to burn up their hydrogen faster and turn off sooner than the stars on the lower right. Thus, if you plot all the stars in a cluster on a H-R Diagram you will see some on the Main Sequence, some that have already turned off, and some being caught in the act of doing so. It is the stars *just now turning off* that are important to us. If we can determine how old these "turn off" stars are

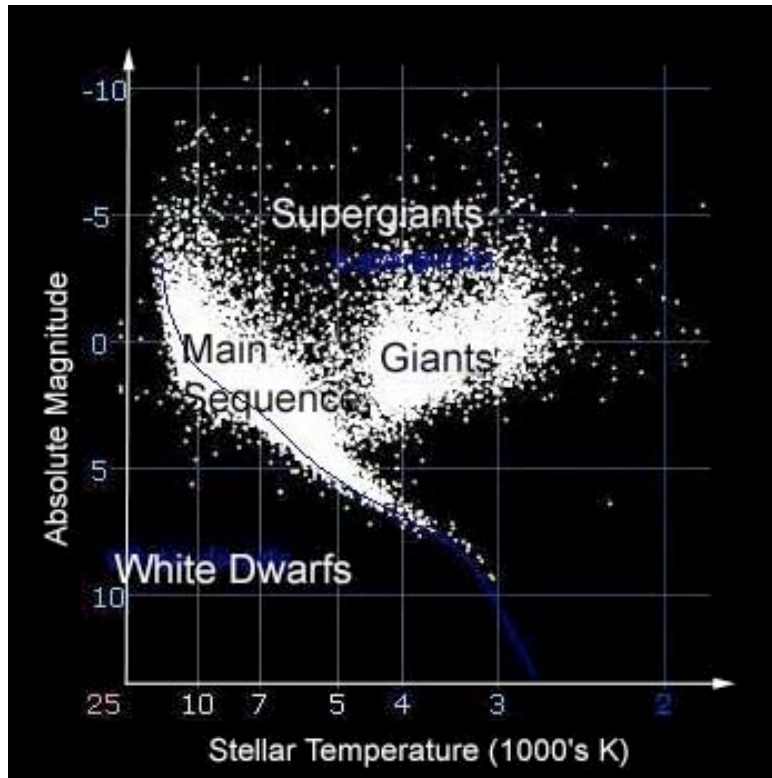


Figure 1: An H-R Diagram for the stars in and around the constellation Orion. Stars get hotter as you go further left on the diagram and get brighter as you go further toward the top.

we can by extension know how old all the stars in the cluster are, since it is assumed they all formed together at the same time.

Figure 2 illustrates how the turnoff point moves down the main sequence as you consider redder stars. The age labels along the main sequence denote how old a main sequence star with that color will be when it begins to turnoff. The Sun's projected time of main sequence turnoff is notated as well for comparison.

In this H-R diagram (Figure 2), the two axes represent two observables: the brightness of the star versus the color of the star (expressed as the difference of two color magnitudes). Again, absolute magnitude has been used as a measure of overall brightness – this is the apparent magnitude of a star when it is viewed at a distance of 10 pc (by definition), and is used as a standard definition to allow direct comparison of stars with wildly different brightness. Recall that absolute and apparent magnitudes are related by the *distance modulus* equation:

$$m - M = 5 \log_{10} \left(\frac{d}{10 \text{ pc}} \right)$$

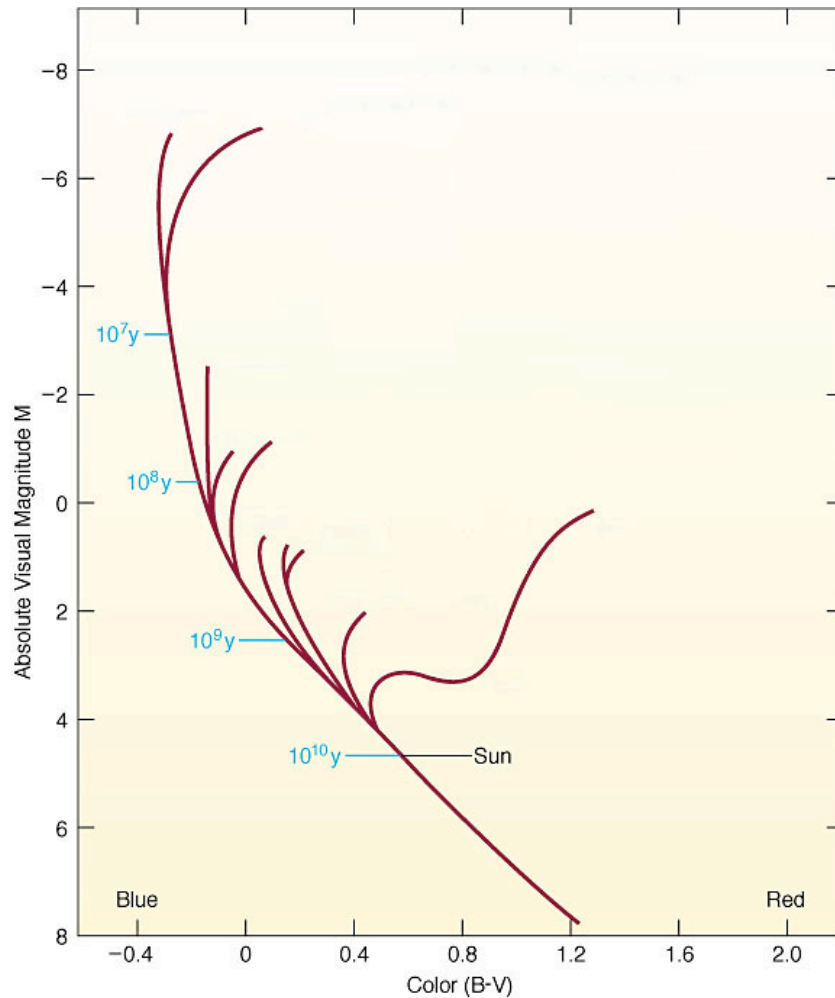


Figure 2: Another H-R diagram illustrating only the main sequence and the different turnoff points for stars of different mass (higher mass stars on the main sequence are bluer than low mass stars).

where m is the apparent magnitude, M is the absolute magnitude, and d is the distance to the star expressed in parsecs ($1 \text{ pc} = 3.09 \times 10^{16} \text{ m}$). Since it is *absolute magnitude* that is plotted on the y-axis here (and not the more easily determined *apparent magnitude*), simply observing how bright the stars in a cluster are isn't enough. We must know the distance to the cluster in order to convert apparent magnitude to absolute magnitude and correctly analyze it.

Procedure

You are going to use data from a sample of open clusters to determine both their ages and their distances. This data was taken from the online cluster database WebDA (<http://www.univie.ac.at/webda/>). However, before you can use this for age determination, you will need to first determine the distance to the cluster. The simplest way to do this is

to compare the clusters' H-R diagrams with a "standard" one derived from "standard stars".

1. Use the following data to plot a standard H-R diagram. Make sure you use the provided graph paper, as this will facilitate an accurate comparison to the cluster data (note the y-axis inversion: to illustrate increasing brightness, you plot decreasing magnitude). Draw a best fit line through the data points. You do not need to label each spectral type.

Spectral Type	Temp. (K)	M_V	$B-V$	Spectral Type	Temp. (K)	M_V	$B-V$
O5	35000	-5.8	-0.35	G0	6000	+4.4	+0.58
B0	21000	-4.1	-0.31	G5	5400	+5.1	+0.70
B5	13500	-1.1	-0.16	K0	4700	+5.9	+0.89
A0	9700	+0.7	0.00	K5	4000	+7.3	+1.18
A5	8100	+2.0	+0.13	M0	3300	+9.0	+1.45
F0	7200	+2.6	+0.27	M5	2600	+11.8	+1.63
F5	6500	+3.4	+0.42	M8	2300	+16.0	+1.80

Table 1: Absolute magnitude and color data for standard main sequence stars

2. Rearrange the distance modulus equation, solving for d . Write below.

3. One cluster at a time, compare the observed data with your standard star data (by placing one on top of the other) to determine the vertical offset between the two (average the difference between **three** y-values from your best fit lines) and then find **the distance** to the cluster. (Hint: recall that the y-axis for one of your graphs is " m " and for the other graph is " M " – similar to what you did in the pre-lab. Do not use points from the table, instead look at the graphs and compare your best fit lines). Record your distance calculation for the clusters in the provided data table.

4. For each cluster, locate the apparent turn-off point of its main sequence. Use the average $V-M_V$ you found in #2 to solve for the absolute magnitude of the clusters' turnoffs. Record these magnitude values in your data table.

5. Now, compare your absolute magnitudes from #4 to Figure 2 in the lab’s introduction, and **determine the age** of the cluster to the nearest power of 10. Record these ages in the data table.

6. Your TA will supply you with the actual distances of the clusters studied tonight. Record those in your data table. Then, calculate your percent error in measured distance and record that as well.

Cluster Name	V-M _v				Distance (pc)	MS Turnoff M _v	Age (yr)	Actual distance (pc)	% Error in distance
	1	2	3	Average					

Table 2: Your data from tonight’s lab

Additional Questions

1. Explain why the turn-off point on the H-R Diagram of a cluster tells you the age of that cluster.

2. How would dust between us and the cluster affect the age determination for a cluster? The distance to that cluster?

